## Living in a Ghost Town: The Geography of Depopulation and Aging

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### Motivation

- Increasing dispersion of population across regions within Japan
  - ▶ Population  $\uparrow$  10% in urban vs  $\downarrow$  30% in rural Japan from 1980-2010
- Widespread concerns about nationwide aging and depopulation
  - ▶ Median age ↑ 13 years from 1980-2010
  - Population decreased by 3million from 2010-2020

#### Questions

- What drives the large geographic variation?
- How is this process related to nationwide demographic transition?
- How will the aggregate aging and depopulation shape rural areas?
- What are the policy implications?

### This Paper

- Documents spatial pattern of depop & aging in Japan since 1980
  - ► Faster depop & aging rural areas; driven by (youths') migration beyond birth & death
- Develops a framework to unpack the forces behind lifecycle migration decisions
  - Wages/employment, housing cost, amenity (local non-tradable services)
  - Amenity is key; especially for young
  - Elasticity of amenity w.r.t population density is not constant
- Embeds the migration decisions into a quantitative dynamic spatial GE model to conduct future simulation and counterfactual analysis
  - ► Rich spatial heterogeneity + life-cycle elements + migration decision ⇒ local economic conditions (wages, housing, amenity)
  - ► *Nationwide* depop & aging + endogenous amenity  $\Rightarrow$  *Rural* depop & aging

#### Outline

Data & Motivating Facts

- 2 Unpacking Migration Decisions
- 3 General Equilibrium Model
- Quantitative Analysis: Decline of Fertility Rate

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### Data (1719 municipalities across 47 prefectures)

- Population Changes & Migration
  - Population count by municipality, age, gender, residence 5 years ago (Population Census)
  - Birth & death by age and prefecture (Vital Statistics)
- Income & Employment
  - Average taxable income by municipality (Ministry of Internal Affairs)
  - Wage by age and prefecture (Basic Survey on Wage Structure)
  - Employment by age and municipality (Economic Census)
- Land Prices & Housing
  - Land prices for designated plots (Ministry of Land, Infrastructure, Transport, and Tourism)
  - Housing stock and construction by urban municipality (Housing and Land Survey)
- Amenity (Various Sources)
  - Classify: retail, health/medical, elderly service, child/education, environment/transport
  - Create a PCA index for each category (Diamond '16) detail

### Faster depopulation in rural areas



stratified by population density in 1980

- 0-10th percentile
- 90-100th percentile

- 0-10th percentile in 1980 rural
- 90-100th percentile in 1980 urban



### Migration accelerated rural depopulation beyond birth & death



stratified by population density in 1980

- 0-10th percentile
- 90-100th percentile

- Starting from 1980, construct hypothetical population if there were no migration
- Remaining variation is mostly driven by differences in reproductive-age population (rather than fertility or death rates)

### Youths' outmigration accelerated rural depopulation



• Same counterfactual, only shut down migration of youths (15-24 years old)

- stratified by population density in 1980
- 0-10th percentile
- 90-100th percentile

### Youths' out-migration accelerated rural aging



stratified by population density in 1980

- --- 0-10th percentile
- 90-100th percentile

#### Outline

Data & Motivating Facts

#### <sup>2</sup> Unpacking Migration Decisions

3 General Equilibrium Model

Quantitative Analysis: Decline of Fertility Rate

## **Migration Decision**

- Agent of age a that lives in location n in period t earns period utility  $u_t^n(a)$
- Decide where to migrate at the end of period *t*

$$\max_{\ell} s_t^{\ell}(a) \beta V_{t+1}^{\ell}(a+1) - \tau_t^{n\ell}(a) + \nu \varepsilon_t^{\ell}(a)$$

- $V_t^l(a)$ : value if age *a* lives in location *l* in period *t*
- $s_t^{\ell}(a)$ : survival rate
- $\tau_t^{n\ell}(a)$ : migration cost
- $\varepsilon_t^l(a)$ : i.i.d. preference shocks;  $\nu$ : dispersion of preference shocks
- Value function

$$V_t^n(a) = u_t^n(a) + \mathbb{E}\left[\max_{\ell} \{s_t^\ell(a)\beta V_{t+1}^\ell(a+1) - \tau_t^{n\ell}(a) + \nu\varepsilon_t^\ell(a)\}\right]$$

### **Migration Decision**

- Assume  $\{\epsilon_t^l(a)\}$  is i.i.d Type 1-EV
- Migration share of moving from *n* to *i*

$$\mu_t^{ni}(a) = \frac{\exp\left[s_t^i(a)\beta V_{t+1}^i(a+1) - \tau_t^{ni}(a)\right]^{1/\nu}}{\sum_{\ell}^N \exp\left[s_t^\ell(a)\beta V_{t+1}^\ell(a+1) - \tau_t^{n\ell}(a)\right]^{1/\nu}}$$

• Value function

$$V_t^n(a) = u_t^n(a) + \nu \log \sum_{\ell}^N \exp\left[s_t^{\ell}(a)\beta V_{t+1}^{\ell}(a+1) - \tau_t^{n\ell}(a)\right]^{1/\nu}$$

• Goal: using migration flow data to infer flow utility  $u_t^n(a)$ 

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- Invert continuation values  $\{V_{t+1}^i(a+1)\}$  from migration flows data

$$\mu_t^{ni,data}(a) = \frac{\exp\left[s_t^n(a)\beta V_{t+1}^i(a+1) - \tau_t^{ni}(a)\right]^{1/\nu}}{\sum_{\ell} \exp\left[s_t^\ell(a)\beta V_{t+1}^\ell(a+1) - \tau_t^{n\ell}(a)\right]^{1/\nu}}$$

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• From Bellman equation, recover  $\{u_t^n(a)\}$ 

$$V_t^n(a) = u_t^n(a) + s_t^n(a)\beta V_{t+1}^n(a+1) - \nu \ln \mu_t^{nn,data}(a),$$

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- Decompose  $u_t^n(a)$  into:
  - Income
  - Output Provide the second s
  - Amenity (residual): accessibility of non-tradable services, crime, environment etc

### Flow Utility vs Population Size in 2010



Large spatial dispersion of young's flow utility

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### Flow Utility vs Population Size in 2010



Large spatial dispersion of young's flow utility











9 📜 Remove 10% 📜 Housing cost 📜 Correlation 📜 Taxable Incon



Remove 10% Housing cost Correlation Taxable Incor



### Non-linear Effect of Population Density on Amenity

	(1)	(2)	(3)	(4)
	2010	2010	2010	2010
	15-64	15-64	15-64	15-64
	OLS	OLS	No-Mig IV	Pull-Push IV
VARIABLES	$\ln \text{Amenity}_{nt}(a)$	$\ln \text{Amenity}_{nt}(a)$	$\ln \text{Amenity}_{nt}(a)$	In Amenity <sub>nt</sub> ( $a$
In(Working-Age Pop Density)	0.0973***	0.320***	0.338***	0.249***
((vorang riger op Density)	(0.00669)	(0.0132)	(0.0233)	(0.0202)
$(\ln(\text{Working-Age Pop Density}))^2$		-0.0207***	-0.0185***	-0.0233***
		(0.00103)	(0.00178)	(0.00159)
Observations	17,310	17,310	17,310	17,310
R-squared	0.928	0.931	0.596	0.589
FE	Pref-Age	Pref-Age	Pref-Age	Pref-Age
Control	Yes	Yes	Yes	Yes
Kleibergen-Paap F			1160	858.7

Robust standard errors in parentheses

\*\*\* p<0.01, \*\* p<0.05, \* p<0.1

Note: We control for the share of secondary industry, the share of tertiary industry, the log of working age population density, and the log of the area in 1985 and include prefecture-age group fixed effects.

Non-constant population elasticity of amenity, larger elasticity in rural areas

#### Outline

Data & Motivating Facts

2 Unpacking Migration Decisions

#### 3 General Equilibrium Model

4 Quantitative Analysis: Decline of Fertility Rate

Caliendo, Dvorklin, Parro '19 + lifecycle dimension (Suzuki '21) + housing & amenity

- Space:  $n \in N$  locations; differ by productivity, amenities, and fertility/death rates
- Migration
- **Demographics (life-cycle)**: age *a*; die stochastically; newborn from local population

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- **Demographics** (life-cycle): age *a*; die stochastically; newborn from local population
- Income
  - Location-age-specific labor income + land ownership income + pension (after 65)
  - Pensions financed by labor income tax
  - Labor income depends on location-age productivity

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#### • Preferences

- Consumption good c (freely-traded good + non-tradable) and housing services h
- ► Non-tradable features endogenous variety effect from IRS (Krugman '80)
- Location-age-specific residential amenities  $\chi$

• Preference

$$\begin{split} u^{n}(a) &= (1-\theta) \ln c^{n}(a) + \theta \ln h^{n}(a) + \ln \chi^{n}(a), \\ c^{n}(a) &= \left( c^{n}_{T}(a)^{\frac{\eta-1}{\eta}} + c^{n}_{NT}(a)^{\frac{\eta-1}{\eta}} \right)^{\frac{\eta}{\eta-1}}, \\ c^{n}_{NT}(a) &= \left( \int_{\Omega^{n}_{NT}} c^{n}_{NT}(\omega;a)^{\frac{\sigma-1}{\sigma}} d\omega \right)^{\frac{\sigma}{\sigma-1}}, \end{split}$$

where  $\eta > 0, \sigma > 1$ 

• Preference

$$u^n(a) = (1- heta) \ln c^n(a) + heta \ln h^n(a) + \ln \chi^n(a),$$
  
 $c^n(a) = \left(c_T^n(a)^{rac{\eta-1}{\eta}} + c_{NT}^n(a)^{rac{\eta-1}{\eta}}
ight)^{rac{\eta}{\eta-1}},$   
 $c_{NT}^n(a) = \left(\int_{\Omega_{NT}^n} c_{NT}^n(\omega;a)^{rac{\sigma-1}{\sigma}} d\omega
ight)^{rac{\sigma}{\sigma-1}},$ 

where  $\eta > 0$  ,  $\sigma > 1$ 

• Indirect utility:

$$u^{n}(a) = \ln I^{n}(a) - \theta \ln R^{n} \underbrace{-\frac{1-\theta}{1-\eta} \ln \left(1 + (P_{NT}^{n})^{1-\eta}\right) + \ln \chi^{n}(a)}_{\ln B^{n}(a): \text{ amenity}}$$

• Endogenous spillover from varieties (Krugman '80):

$$P_{NT}^{n} \sim (N_{NT}^{n})^{\frac{1}{1-\sigma}} \sim (L^{n})^{\frac{1}{1-\sigma}} \Longrightarrow P_{NT}^{rural} > P_{NT}^{urban}$$

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• Complementarity between tradable and non-tradable

$$0 < \eta < 1 \Longrightarrow s_{NT}^{rural} > s_{NT}^{urban}$$

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• Complementarity between tradable and non-tradable

$$0 < \eta < 1 \implies s_{NT}^{rural} > s_{NT}^{urban}$$

• Non-constant elasticity

$$\frac{\partial \ln B^n(a)}{\partial \ln L^n} \downarrow \text{ in } L^n,$$

same percentage decline of population hurts rural areas relative more!

### Calibration

- 47 prefectures; 5 year time interval
- Choose location-age-specific fundamentals to exactly fit data in 1990-2015 (CDP '19)
  - Productivity: labor compensation
  - Amenity and migration costs: population transition

#### • Calibrate other parameters

Parameters	Description	Values / Sources
ν	shape parameter for migration preference shocks	0.4
β	discount factor	$0.97^{5}$
θ	consumption expenditure share of housing	0.33
μ	labor share in housing construction	0.9
$\sigma$	elasticity of substitution among non-tradable varieties	5
η	elasticity of substitution between tradable and non-tradable	0.5
$\{s_t^n(a)\}$	survival rates by age and year	official statistics (past and projection)
$\{\varkappa_t^n(a)\}$	fertility rates by age, year, locations	official statistics (past and projection)
$T_t$	pension payment per elderly population	aggregate pension payment = $110\%$ of elderly labor income
κ <sub>t</sub>	income tax rate	set to finance pension payment


Faster depopulation in rural prefectures (model exactly calibrated to population changes)



Significantly slower rural depopulation by shutting down migration (fraction of elderly) (share of 25-29



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Quantitative Analysis: Decline of Fertility Rate

#### Aging and Depopulation: 2015 onwards • Total fertility rate:

- $\text{TFR}_t = \sum_{a \in [15,45]} \sum_{n=1}^{N} \frac{L_t^n(a)}{\sum_{n=1}^{N} L_t^n(a)} fr_t^n(a)$
- Counterfactual: what will happen if we adjust fertility rates across location homogeneously so that TFR is fixed at 1?







More pop. share in rural areas if depopulation will not progress that much aggregately, driven mostly by migration



More pop. share in rural areas if depopulation will not progress that much aggregately, driven mostly by migration



Non-constant elasticity is crucial for the regional impact of aggregate aging and depopulation

### Conclusions and Current Work

- Q: How do depopulation and aging progress across regions within a country?
- **Reduced-form evidence** about the role of amenity-driven migration
- Quantitative dynamic spatial GE model to unpack mechanism and project future
  - Endogenous migration and non-constant elasticity of amenities are crucial
- Upcoming: Welfare analysis & Policy implication for ongoing migration subsidy

# Appendix

### Life Expectancy and Fertility Rates



# Amenity Proxies (so back

	Loading
Panel A. Retail	
Number Of Retail Stores	.418
Number of Clothing Stores	.411
Number of Food and Beverage Retail Stores	.411
Number Of Restaurants	.411
Number Of Large Retail Stores	.384
Number Of Barber Shops And Beauty Parlors	.413
Panel B. Health Medical	
Number Of General Hospitals	.477
Number Of General Clinics	.505
Number Of Medical Doctors	.517
Number Of Nurses	.499
Panel C. Elderly Service	
Number Of Community Centers	.547
Number Of Senior Citizen Clubs	.632
Number Of Nursing Homes	.550
Panel D. Child Education	
Number Of Daycares	.567
Number Of Schools (Elementary, Middle, and High)	.576
Number Of Teachers (Elementary, Middle, and High)	.589
Panel E. Environment / Transportation	
Road Length	.526
Paved Road Length	.564
Number Of Parks	.394
Number of Police Stations	.500

### Depopulation and Baseline Population Density



Others Tokyo & Osaka

### Higher net out-migration rate in rural areas (go back)



Net Outmigration  $\operatorname{Rate}_{t}^{n}$ = Net Outmigration $_{t-5 \to t}^{n}/L_{t-5}^{n}$ 

### Youths' net out-migration is higher in rural areas and the second second



Net Outmigration Rate<sup>*n*</sup><sub>*t*</sub>(*a*) = Net Outmigration<sup>*n*</sup><sub>*t*-5 \to *t*</sub>(*a*)/ $L^{n}_{t-5}(a-5)$ 

### Youth's Amenity in 2010 without the Top & Bottom 10%





### Validation of Imputed Housing Cost



#### Figure: 1985

Figure: 2010

go back

### Imputed Income vs. Taxable Income Per Capita





# Unpacking Age 45-49's Flow Utility in 2010





(1)	(2)	(3)
2010	2010	2010
20-39	40-59	60-69
$\ln \text{Amenity}_{nt}(a)$	In Amenity <sub><math>nt</math></sub> ( $a$ )	In Amenity <sub>nt</sub> $(a)$
0 0993***	0.0345***	0.0150***
(0.00243)	(0.00211)	(0.00388)
0.166***	0.0662***	0.0413***
(0.00234)	(0.00186)	(0.00335)
0.124***	0.0449***	0.0240***
(0.00275)	(0.00213)	(0.00400)
0.0845***	0.0231***	0.00190
(0.00221)	(0.00185)	(0.00350)
0 122***	0.0432***	0.0264***
(0.00285)	(0.00226)	(0.00425)
	2010 20-39 In Amenity <sub>nt</sub> (a) 0.0993*** (0.00243) 0.166*** (0.00234) 0.124*** (0.00275) 0.0845*** (0.00221) 0.122***	2010         2010         2010 $20-39$ $40-59$ In Amenity <sub>nt</sub> (a)           In Amenity <sub>nt</sub> (a)         In Amenity <sub>nt</sub> (a)         In Amenity <sub>nt</sub> (a)           0.0993***         0.0345***         (0.00211)           0.166***         0.0662***         (0.00186)           0.124***         0.0449***         (0.00213)           0.0845***         0.0231***         (0.00185)           0.122***         0.0432***         (0.0432***

### Association between Amenity and PCAs in 2010

Each row shows the results of separate regressions Standard errors in parentheses

\*\*\* p<0.01, \*\* p<0.05, \* p<0.1

### Association between Amenity and PCAs in 1985

	(1)	(2)	(3)
	2010	2010	2010
	20-39	40-59	60-69
VARIABLES	$\ln \text{Amenity}_{nt}(a)$	$\ln \text{Amenity}_{nt}(a)$	$\ln \text{Amenity}_{nt}(a)$
Retail PCA	0.0805***	0.0382***	0.0227***
	(0.00417)	(0.00330)	(0.00609)
Child Education PCA	0.134***	0.0520***	0.0354***
	(0.00223)	(0.00183)	(0.00346)
Elderly Service PCA	0.122***	0.0467***	0.0302***
	(0.00349)	(0.00273)	(0.00516)
Health Medical PCA	0.0810***	0.0290***	0.0201***
ficatul Medical I CA	(0.00270)	(0.00218)	(0.00409)
	(0.00270)	(0.00210)	(0.00409)

Each row shows the results of separate regressions Standard errors in parentheses \*\*\* p < 0.01, \*\* p < 0.05, \* p < 0.1



### Push and Pull Migration IV (go back)

• Pull IV:

$$\tilde{\mathcal{I}}^{d}(a) = \sum_{o \neq d} \sum_{s=1990,2000,2010} \tilde{\mu}^{od}_{1980}(a - (2010 - s))\mathcal{O}^{o}_{s}(a - (2010 - s)),$$

- $\mathcal{O}_t^o(a)$ : the observed outflow of age group *a* in municipality *o* in *t*
- $\tilde{\mu}_{1980}^{od}(a)$ : share of out-migrants from *o* to *d* from 1980 to 1985

• Push IV:

$$\tilde{\mathcal{O}}^{o}(a) = \sum_{d \neq d} \sum_{s=1980, 1990, 2000} \breve{\mu}^{od}_{1980}(a - (2010 - s))\mathcal{I}^{o}_{s}(a - (2010 - s)),$$

• Use these variables to predict changes in working-age and elderly population size; convert the changes into percentiles

# Impacts on Depop & Aging: Retail ( Deck)

#### (a) $\Delta \log$ Population



#### (b) $\Delta \log$ Fraction on Elderies

.5

0.290 (0.106)

## Impacts on Depop & Aging: Health/Medical @ back



### Impacts on Depop & Aging: Elderly Services (go back)

(a)  $\Delta \log Population$ 

(b)  $\Delta \log$  Fraction on Elderies



# Impacts on Depop & Aging: Child/Education @ back

(a)  $\Delta \log Population$ 

(b)  $\Delta \log$  Fraction on Elderies



### Impacts on Depop & Aging: Environment/Transportation @back



### Imputed Net Effects on Rural vs Urban



# Population Change

- Agents of age a, location n, year t give birth to age 0 agents at fertility rate  $\varkappa_t^n(a)$
- Agents of age *a* dies at an exogenous probability  $1 s_t^n(a)$
- If she survives, advances her age to a + 1 (stay at  $\bar{a}$  if  $a = \bar{a}$ )
- Population change absent migration

$$L_{t+1}^{n}(a) = \begin{cases} \sum_{a'} \varkappa_{t+1}^{n}(a') L_{t+1}^{n}(a') & \text{if } a = 0\\ s_{t}^{n}(a-1) L_{t}^{n}(a-1) & \text{if } 0 < a < \bar{a} \\ s_{t}^{n}(\bar{a}-1) L_{t}^{n}(\bar{a}-1) + s_{t}^{n}(\bar{a}) L_{t}^{n}(\bar{a}) & \text{if } a = \bar{a} \end{cases}$$

• Population change with migration

$$\int \sum_{a'} \varkappa_{t+1}^n (a') L_{t+1}^n (a') \qquad \text{if } a = 0$$

$$L_{t+1}^{n}(a) = \begin{cases} s_{t}^{n}(a-1)\sum_{\ell} \mu_{t}^{\ell n}(a-1)L_{t}^{\ell}(a-1) & \text{if } 0 < a < a \\ s_{t}^{n}(\bar{a}-1)\sum_{\ell} \mu_{t}^{\ell n}(\bar{a}-1)L_{t}^{\ell}(\bar{a}-1) + s_{t}^{n}(\bar{a})\sum_{\ell} \mu_{t}^{\ell n}(\bar{a})L_{t}^{\ell}(\bar{a}) & \text{if } a = \bar{a} \end{cases}$$

 Microfoundation for "demographic balancing equation" (e.g., Smith-Tayman-Swanson '13) (go back)

### Income

• Linear production technology

$$Y_t = \sum_a \phi_t^n(a) L_t^n(a)$$

• Income - Working age

$$y_t^n(a) = w_t^n \times \varphi_t^n(a)$$

Location-specific wage per efficient unit of labor (endogenously determined)
Income - Retirees

$$y_t^n(a) = w_t^n \varphi_t^n(a) + T_t, \quad a \ge a^*$$
$$T_t = \frac{\sum_n \sum_{a \le a < a^*} \tau y_t^n(a) L_t^n(a)}{\sum_n \sum_{a \ge a^*} L_t^n(a)}$$



### Housing and Amenity

• Housing supply function

$$H_t^n = \tilde{H}_t^n \left( R_t^n \right)^{\mu}$$

- $\tilde{H}_t^n$ : exogenous housing supply shifter
- Market clearing determines the rents  $R_t^n$

go back



Spillover explains an important fraction of migration responses go back









